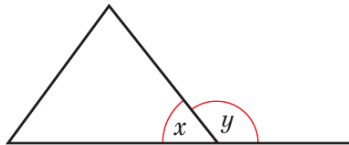
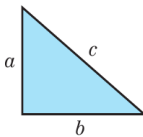
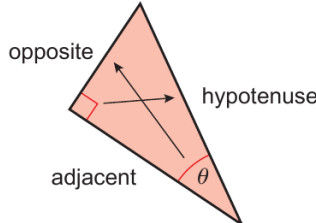
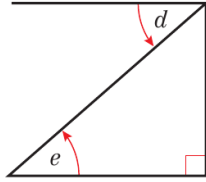


Topic: KS4 Higher Unit 5 Angles and trigonometry MathsWatch clips: 9, 54, 150, 174		Duration: 11 Lessons	Composite: Unit Test
Key vocabulary:	Powerful knowledge components crucial to commit to long term memory. Declarative knowledge.	Core knowledge components. Procedural and conditional knowledge.	Links to previous and future topics
Angles Triangles Quadrilaterals Interior Exterior Polygons Pythagoras Theorem Trigonometry Elevation Depression Sine, Cosine and Tangent	<p>I know that:</p> <p>The angle marked x is called the interior angle. The angle marked y is called the exterior angle.</p>  <p>$x + y = 180^\circ$ (angles on a straight line add up to 180°)</p> <p>The sum of the interior angles of a polygon with n sides = $(n - 2) \times 180^\circ$.</p> <p>The sum of the exterior angles of a polygon is always 360°.</p> <p>Pythagoras' theorem states that in a right-angled triangle, the square of the hypotenuse is equal to the sum of the squares of the other two sides.</p> $c^2 = a^2 + b^2$  <p>In a right-angled triangle, the side opposite the angle θ is called the opposite. The side next to the angle θ is called the adjacent.</p>  <p>The sine of angle θ is the ratio of the opposite side to the hypotenuse, $\sin \theta = \frac{\text{opp}}{\text{hyp}}$</p> <p>The cosine of angle θ is the ratio of the adjacent side to the hypotenuse, $\cos \theta = \frac{\text{adj}}{\text{hyp}}$</p> <p>The tangent of angle θ is the ratio of the opposite side to the adjacent side, $\tan \theta = \frac{\text{opp}}{\text{adj}}$</p>	<p>I know how to:</p> <ul style="list-style-type: none"> Derive and use the sum of angles in a triangle and in a quadrilateral. Derive and use the fact that the exterior angle of a triangle is equal to the sum of the two opposite interior angles. Calculate the sum of the interior angles of a polygon. Calculate the length of the hypotenuse in a right-angled triangle. Solve problems using Pythagoras' theorem. Calculate the length of a shorter side in a right-angled triangle. Find angles of elevation and angles of depression. Use trigonometric ratios to solve problems. Know the exact values of the sine, cosine and tangent of some angles. <p>know when to:</p> <ul style="list-style-type: none"> Use the interior angles of polygons to solve problems. Use the angles of polygons to solve problems. 	<p>This topic builds on prior knowledge:</p> <ul style="list-style-type: none"> Rearrange simple formulae and equations, as preparation for rearranging trig formulae. Recall basic angle facts. Recall the properties of special types of triangles and quadrilaterals. <p>This topic will be used in future learning:</p> <ul style="list-style-type: none"> Using angle facts with similar and congruent shapes. Use angles in triangle and quadrilaterals when solving circle theorem problems.

The **angle of elevation** (e) is the angle measured upwards from the horizontal. The **angle of depression** (d) is the angle measured downwards from the horizontal.



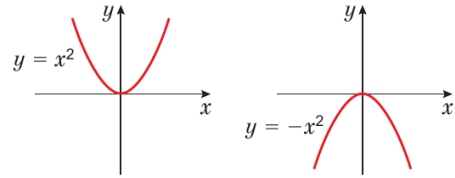
The sine, cosine and tangent of some angles may be written exactly.

	30°	45°	60°	0	90°
sin	$\frac{1}{2}$	$\frac{\sqrt{2}}{2}$	$\frac{\sqrt{3}}{2}$	0	1
cos	$\frac{\sqrt{3}}{2}$	$\frac{\sqrt{2}}{2}$	$\frac{1}{2}$	1	0
tan	$\frac{\sqrt{3}}{3}$	1	$\sqrt{3}$	0	

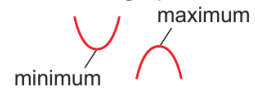
- Use trigonometric ratios to find lengths in a right-angled triangle.
- Use trigonometric ratios to solve problems.
- Use trigonometric ratios to calculate an angle in a right-angled triangle.

Topic: KS4 Higher Unit 6 Graphs MathsWatch clips: 96, 97, 133, 143, 159		Duration: 12 Lessons	Composite: Unit Test
Key vocabulary:	Powerful knowledge components crucial to commit to long term memory. Declarative knowledge.	Core knowledge components. Procedural and conditional knowledge.	Links to previous and future topics
Linear Gradient Intercept Distance-time graphs Speed Accelerations Velocity Proportion Midpoint Line segment Parallel Perpendicular Quadratic Cubic	<p>I know that:</p> <p>A linear equation generates a straight-line (linear) graph.</p> <p>Parallel lines have the same gradient.</p> <p>A distance–time graph represents a journey.</p> <ul style="list-style-type: none"> ○ Straight lines mean constant speed ○ horizontal lines mean no movement ○ the gradient is the speed, since average speed = $\frac{\text{total distance}}{\text{total time}}$ ○ Average speed = $\frac{\text{total distance}}{\text{total time}}$ <p>On a velocity–time graph</p> <ul style="list-style-type: none"> ○ straight lines mean constant acceleration ○ horizontal lines mean no change in velocity (i.e. travelling at a constant velocity) ○ the gradient is the acceleration, since acceleration = $\frac{\text{change in velocity}}{\text{time}}$ ○ the area under a velocity–time graph is the distance travelled. <p>When two quantities are in direct proportion</p> <ul style="list-style-type: none"> ○ the graph is a straight line through the origin ○ when one variable is multiplied by n, so is the other. <p>The coordinates of the midpoint of a line segment are $\left(\frac{x_1 + x_2}{2}, \frac{y_1 + y_2}{2}\right)$</p> <p>Reciprocal functions are in the form $\frac{k}{x}$ where k is a number.</p>	<p>I know how to:</p> <ul style="list-style-type: none"> • Find the gradient and y-intercept from a linear equation. • Sketch graphs using the gradient and intercepts. • Find the equation of a line, given its gradient and one point on the line. • Calculate average speed from a distance–time graph. • Find the coordinates of the midpoint of a line segment. • Find the equations of lines parallel or perpendicular to a given line. • Draw quadratic graphs, graphs of cubic and reciprocal functions, and graph of a circle. • Solve equations using graphs. • Identify the line of symmetry of a quadratic graph. <p>know when to:</p> <ul style="list-style-type: none"> • Interpret linear and non-linear real-life graphs. • Draw and interpret real-life linear graphs. • Find acceleration and distance from velocity–time graphs. 	<p>This topic builds on prior knowledge:</p> <ul style="list-style-type: none"> • Identify coordinates of given points in the first quadrant or all four quadrants. • Write the equation for a straight line graph. • Use and draw conversion graphs. • Use function machines and inverse operations. • Use compound units, such as a speed. <p>This topic will be used in future learning:</p> <ul style="list-style-type: none"> • Trigonometry graphs. • Graphs on direct and inverse proportion.

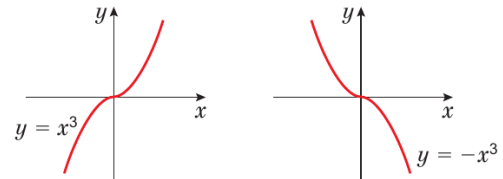
A **quadratic equation** contains a term in x^2 but no higher power of x .
The graph of a quadratic equation is a curved shape called a **parabola**.

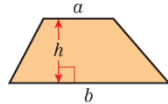
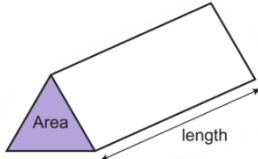
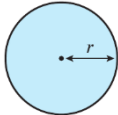
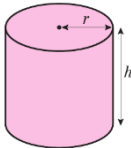
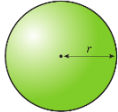
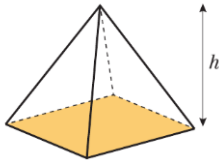
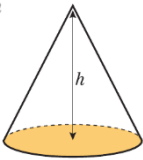
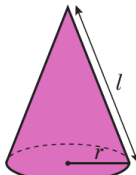


A quadratic graph has either a **minimum point** or a **maximum point** where the graph turns.



A **cubic function** contains a term in x^3 but no higher power of x .
It can also have terms in x^2 and x and number terms.



Topic: KS4 Higher Unit 7 Area and Volume MathsWatch clips: 44, 117, 118, 132, 149, 167, 169, 170		Duration: 11 Lessons	Composite: Unit Test
Key vocabulary:	Powerful knowledge components crucial to commit to long term memory. Declarative knowledge.	Core knowledge components. Procedural and conditional knowledge.	Links to previous and future topics
Compound Trapezium Volume Surface area Prisma Circumference Semicircle Sectors Cylinder Sphere Pyramids Cones	<p>I know that:</p> <p>Area of a trapezium = $\frac{1}{2}(a + b)h$</p>  <p>The surface area of a 3D solid is the total area of all its faces.</p> <p>A prism is a 3D solid that has the same cross-section all through its length.</p> <p>Volume of a prism = area of cross-section \times length.</p>  <p>The circumference of a circle is its perimeter. For any circle circumference = $\pi \times$ diameter $C = \pi d$ or $C = 2\pi r$ The formula for the area, A, of a circle with radius r is $A = \pi r^2$</p>  <p>The volume of a cylinder of radius r and height h is $V = \pi r^2 h$ The surface area of a cylinder of radius r and height h is $2\pi r^2 + 2\pi r h$</p>  <p>For a sphere of radius r surface area = $4\pi r^2$ volume = $\frac{4}{3}\pi r^3$</p>  <p>Volume of pyramid = $\frac{1}{3}$ area of base \times vertical height Volume of cone = $\frac{1}{3}$ area of base \times vertical height = $\frac{1}{3}\pi r^2 h$</p>   <p>Curved surface area of a cone = $\pi r l$, where r is the radius and l is the slant height.</p> <p>Total surface area of a cone = $\pi r l + \pi r^2$.</p> 	<p>I know how to:</p> <ul style="list-style-type: none"> Find the perimeter and area of compound shapes. Calculate the maximum and minimum possible values of a measurement. Calculate volumes and surface areas of prisms. Calculate the area and circumference of a circle. Calculate area and circumference in terms of π. Calculate the perimeter and area of semicircles and quarter circles. Calculate arc lengths, angles and areas of sectors of circles. Calculate volume and surface area of pyramids and cones. <p>know when to:</p> <ul style="list-style-type: none"> Convert between metric units of length, area and volume. Solve problems involving volumes, surface areas, pyramids and cones. 	<p>This topic builds on prior knowledge:</p> <ul style="list-style-type: none"> Know the names and properties of 3D shapes. Know the concept of perimeter and area by measuring lengths of sides. Identify planes of symmetry of 3D solids. Recall Pythagoras' theorem. <p>This topic will be used in future learning:</p> <ul style="list-style-type: none"> Calculate length, area and volume in similar shapes. Calculate area following an enlargement on a coordinate grid.